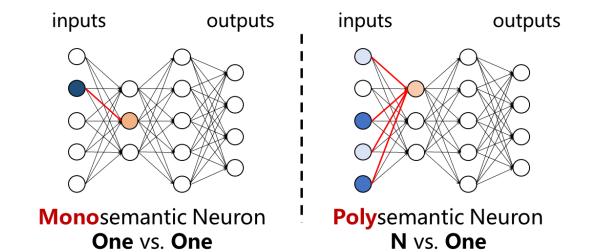






Learning from Emergence: A Study on Proactively Inhibiting the Monosemantic Neurons of Artificial Neural Networks



— Is **Inhibiting monosemanticity** a **new research direction** toward better performance?

Dr. Jiachuan WANG, Dr. Shimin DI, Prof. Lei CHEN, Prof. Charles Wang Wai Ng Contact us: dishimin@ust.hk

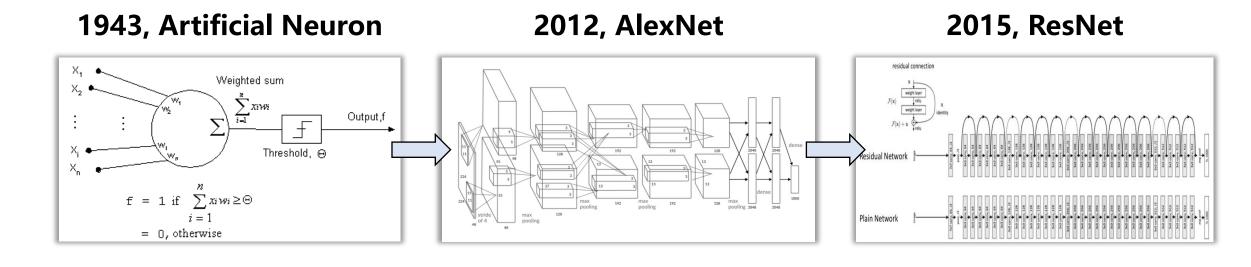
The Hong Kong University of Science and Technology The Hong Kong University of Science and Technology (Guangzhou)

OUTLINE

- Background
- Motivation
- Method
- Experiment



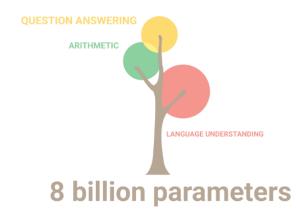
Artificial Neural Networks



A large increase in scale!



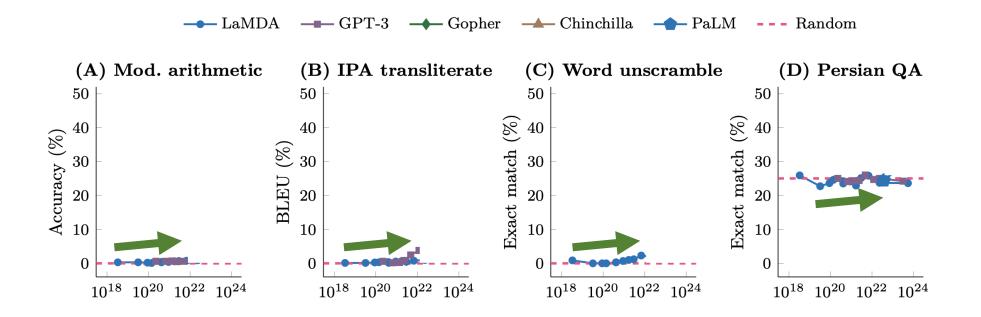
D Emergence: just increase the scale, abilities will emerge!





D Emergence:

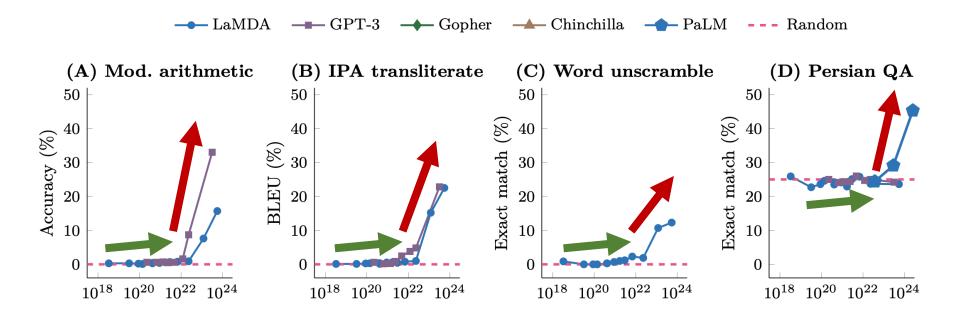
the **scale** not reach a certain threshold **gradual** improvement





D Emergence:

the **scale** not reach a certain threshold **gradual** improvement the **scale** surpasses a certain threshold **rapid** enhancement





D Emergence:

the **scale** not reach a certain threshold **the scale** surpasses a certain threshold **the**

gradual improvement rapid enhancement

One interesting question:

People **increase** the model **scale** and get better results, but **what** has changed underlying the process?

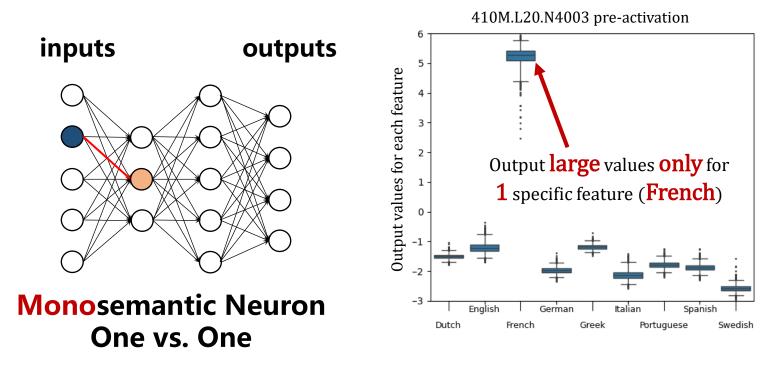
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Interpreting Emergence

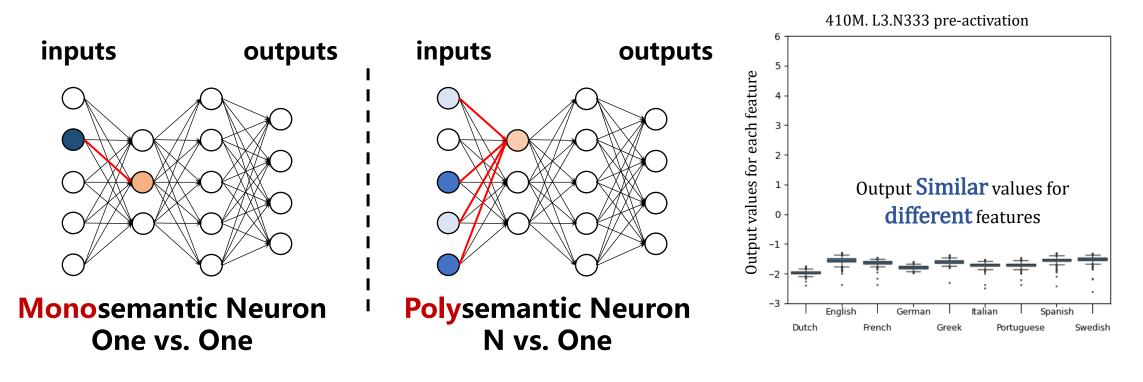
Pioneer works interpret the performance of small and large-scale models from the correlation between neurons and input features.





Interpreting Emergence

Pioneer works interpret the performance of small and large-scale models from the correlation between neurons and input features.

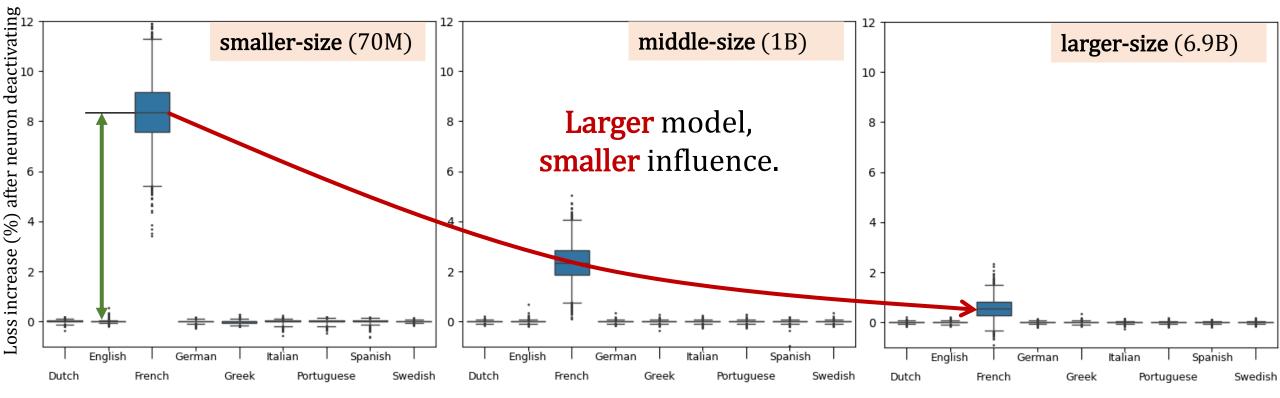




Motivational Experiments

□ Larger models have lower monosemanticity!

D Turning off monosemantic neurons, a larger model has **smaller** error increase.

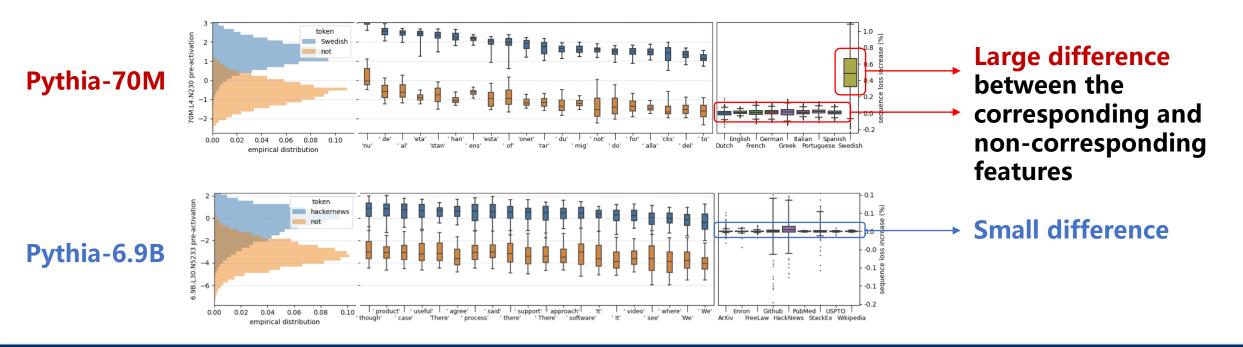




Motivational Experiments

□ Larger models have lower monosemanticity!

□ Given the corresponding/non-corresponding features, the difference in activation values of large models is smaller than that of small models





Motivational Experiments

Larger models have lower monosemanticity!

Turning off monosemantic neurons, a larger model has smaller error increase.
 Given the corresponding/non-corresponding features, the difference in activation values of large models is smaller than that of small models

□ Assumption

□ The **decrease** in **mono**semanticity may be a key factor

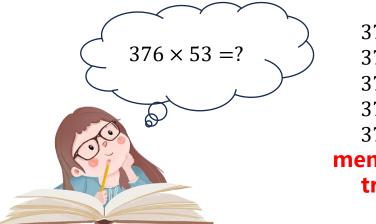
in achieving **higher** performance as the model **scale increases**.



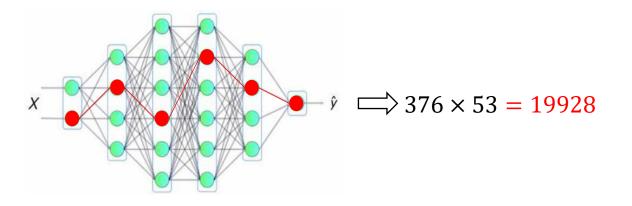
Motivational Examples

Assumption: The decrease in monosemanticity may be a key factor in achieving higher performance as the model scale increases.

A student **memorizes** questions and answers for short-term gain. As the amount of learning increases, understand the problem inefficiently.



 $376 \times 53 = 19928$ $376 \times 53 = 19928$ memorize repeatedly train repeatedly Train ANNs with the observed training examples **repeatedly**. As the amount of training increases, slowly reduce the monosemantic neurons.



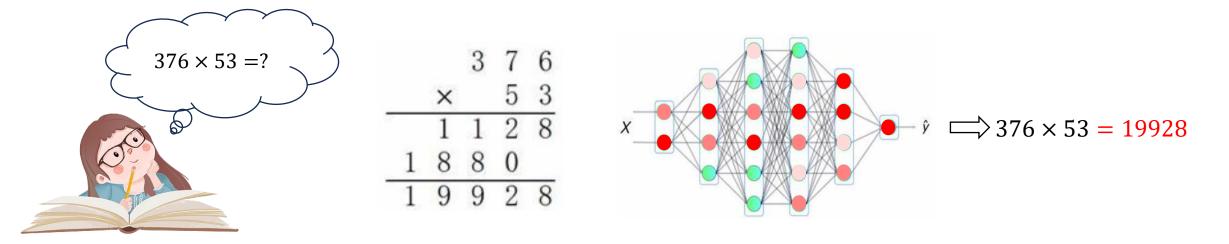


Motivational Examples

Assumption: The decrease in monosemanticity may be a key factor in achieving higher performance as the model scale increases.

The student is expected to **dismantle** the problem and integrate the knowledge points, and achieve the final answer via **reasoning**.

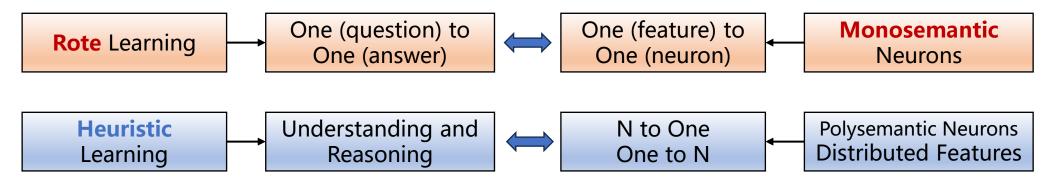
The large model **disassembles** the training inputs, maps the features of samples to multiple neurons, integrates the neurons, and the output "**emerges**" !





Motivational Experiments from Literature

□ We rather conclude the current paradigm of training neural networks as a **passive** process in decreasing monosemantic neurons.



Inspired by the emergence, we propose one question: Can we proactively inhibit monosemantic neurons in artificial neural networks to achieve high performance?



Technical Challenges: Monosemantic Neuron Detection

- Existing detection has limitations and high computational overhead
 Limitation: require to calculate on manually designed and labeled feature data sets.
 - □ High Computational Overhead: Probes require training. And the calculation requires to frequently count the inputs to neurons and activation values from all neurons.

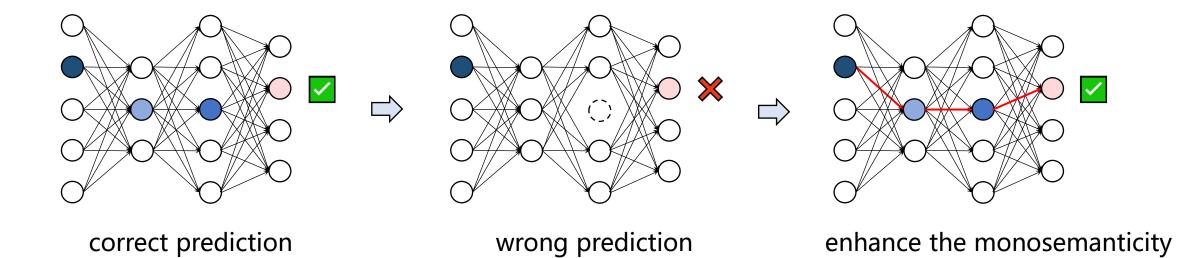
Strictly defining monosemantic neurons is still under discussion in quantitative analysis.

Generality: Detection does not dependent on a specific data set.
 Expected
 Efficiency: Detect monosemantic neurons during online training.



Technical Challenges: Monosemantic Neuron Inhibition

Simply prohibiting the activation of monosemantic neurons will intensify the monosemanticity of artificial neural networks.





Summary of Technical Contributions

We propose to **learn from emergence** to present a study on proactively inhibiting the monosemantic neurons of artificial neural networks.

□ The Evaluation Metric for Detecting Monosemantic Neurons

 $\Box \text{ Data-specific evaluation} \rightarrow A \text{ quantitative metric does not rely on data sets.}$

\Box Large computational overhead \rightarrow Online computation guarantee.

- □ The Proactive Deactivation Method to Reduce Monosemantic Neurons
 - \square Hard to deactivate \rightarrow A theoretically supported method to suppress monosemantic neurons

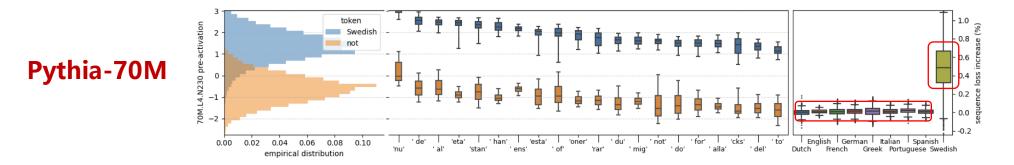
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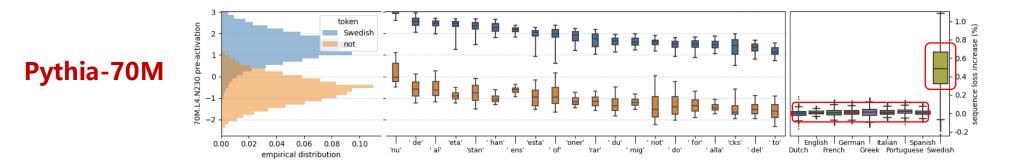
- □ Intuition: Design the metric $\phi(H)$ of evaluating monosemantic neurons from low frequency of activation and high deviation of activation value.
 - **D** Low frequency: Existing work has divided hundreds of features, and the one-

to-one nature determines that their activations are **sparse**.





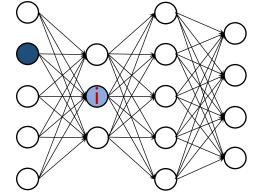
- □ Intuition: Design the metric $\phi(H)$ of evaluating monosemantic neurons from low frequency of activation and high deviation of activation value.
 - High deviation: The distribution after corresponding feature input greatly deviates from the overall distribution.





□ Intuition: Design the metric $\phi(H)$ of evaluating monosemantic neurons from low frequency of activation and high deviation of activation value.

D But what is activation in our scenario? (Another issue)



i-th neuron

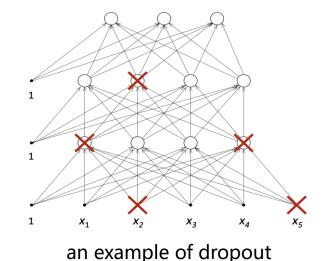
at ℓ -th layer:

 $h_j^\ell = \sum_i w_{ij}^\ell z_i^{\ell-1},$

 $z_i^\ell = \sigma_i^\ell(h_i^\ell),$

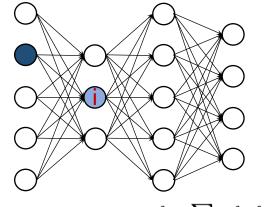
across **different data instances** since we need to evaluate it on different inputs, features, neurons.

Activation is a concept

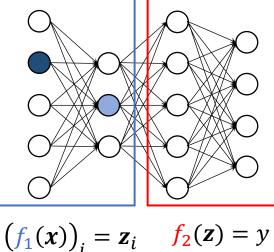




- □ Intuition: Design the metric $\phi(H)$ of evaluating monosemantic neurons from low frequency of activation and high deviation of activation value.
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i-th neuron $h_j^{\ell} = \sum_i w_{ij}^{\ell} z_i^{\ell-1},$ at ℓ -th layer: $z_i^{\ell} = \sigma_i^{\ell}(h_i^{\ell}),$

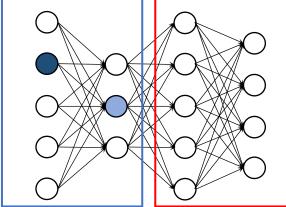


If an input x triggers a neuron z_i to output a value $(f_1(x))_i$ that deviates **significantly** from its statistical mean \overline{z}_i .



□ Intuition: Design the metric $\phi(H)$ of evaluating monosemantic neurons from low frequency of activation and high deviation of activation value.

D But what is activation in our scenario? (Another issue)



 $(f_1(\mathbf{x}))_i = \mathbf{z}_i \quad f_2(\mathbf{z}) = \mathbf{y}$

If an input x triggers a neuron z_i to output a value $(f_1(x))_i$ that deviates **significantly** from its statistical mean $\overline{z_i}$.

Plan A: Set a threshold τ Plan B: Pairwise comparison \mathbf{X} $\left\| \bar{z}_i - (f_1(\mathbf{x}^{[1]}))_i \right\| < \left\| \bar{z}_i - (f_1(\mathbf{x}^{[2]}))_i \right\|$

from different data samples



- □ Intuition: Design the metric $\phi(H)$ of evaluating monosemantic neurons from low frequency of activation and high deviation of activation value.
- **Given** *i*-th neuron, we denotes its historical samples given *m* inputs as $\{z_i^{[1]}, z_i^{[2]}, \dots, z_i^{[m]}\}$ and new value as $z_i^{[m+1]}$, we propose metric Monosemantic Scale (MS) ϕ :

$$\phi(z_i^{[m+1]}) = \frac{(z_i^{[m+1]} - \bar{z}_i)^2}{S^2} \quad \text{where} \quad \bar{z}_i = \frac{\sum_{j=1}^m z_i^{[j]}}{m} \quad S^2 = \frac{\sum_{j=1}^m (z_i^{[j]} - \bar{z}_i)^2}{m-1}$$

Can measure the high deviation, and \bar{z}_i is mainly decided by deactivated neurons.

Method: Detection

Evaluation Measurement of Monosemantic NeuronsD Metric Online Computation Guarantee

LEMMA 3.2. Denote μ_m as the value of the sample mean \bar{z} given m samples, while v_m as the sample variance S^2 . When the $(m + 1)^{th} \sim (m + b)^{th}$ samples $z^{[m+1]}, \dots, z^{[m+b]}$ come, one can obtain the updated values via:

$$\mu_{m+b} = \frac{m\mu_m + b\mu'_b}{m+b},\tag{8}$$

$$v_{m+b} = \frac{mb(\mu_m - \mu'_b)^2}{(m+b-1)(m+b)} + \frac{bv'_b + (m-1)v_m}{m+b-1},$$
 (9)

where
$$\mu'_b = \frac{\sum_{i=1}^b z_{[m+i]}}{b}$$
 and $v'_b = \frac{\sum_{i=1}^b (z_{[m+i]} - \mu'_b)^2}{b}$, which is of $O(1)$ time and memory complexity as b is a constant.

The intuition behind our theoretical guarantee:
Define the metric on the train inputs sequentially allows us to calculate the metric with incremental computation.



□ Given the set of measured MS $\{\phi(z_1^{[j]}), \phi(z_2^{[j]}), \dots, \phi(z_n^{[j]})\}$ over neurons $\{z_1^{[j]}, z_2^{[j]}, \dots, z_n^{[j]}\}$ for input $\mathbf{x}^{[j]}$, there are multiple ways to select neurons to inhibit. For example:

D The maximum one

 \Box The largest $\log n$ neurons

□ The certain ratio (1%n, 0.1%n)

□ In our paper, we firstly inhibit **the maximum one** and leave other settings as future work.



Monosemantic Neuron Inhibition

□ The goal is to deactivate monosemantic neurons to reduce the monosemantic scale of the neural networks, i.e., become more polysemantic or distributed.

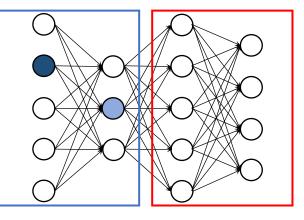
□ For the identified neuron z_i as "highly monosemantic", design **deactivation strategy** to optimize the frontal model $f_1(\cdot)$ and following model $f_2(\cdot)$ so that:

 \Box Reduce the activation degree of z_i on input X

Expected-

- $\square \text{ reduce the reliance } \mathbf{x} \to \mathbf{z}_i$
- **\square** Reduce the dependence of output *Y* on z_i activation

\Box reduce the reliance $z_i \rightarrow y$



$$(f_1(\mathbf{x}))_i = \mathbf{z}_i \quad f_2(\mathbf{z}) = \mathbf{y}$$



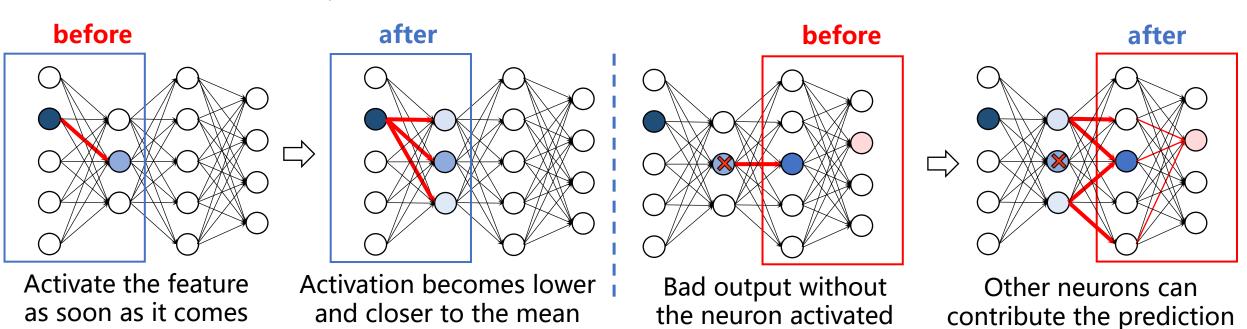
Monosemantic Neuron Inhibition

Intuitive Examples for Expected Goals

\square Reduce the activation degree of z_i on input *X*

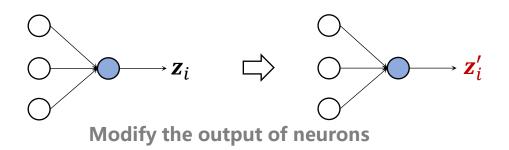
D Optimize
$$(f_1(x))_i = z_i$$
 to z'_i

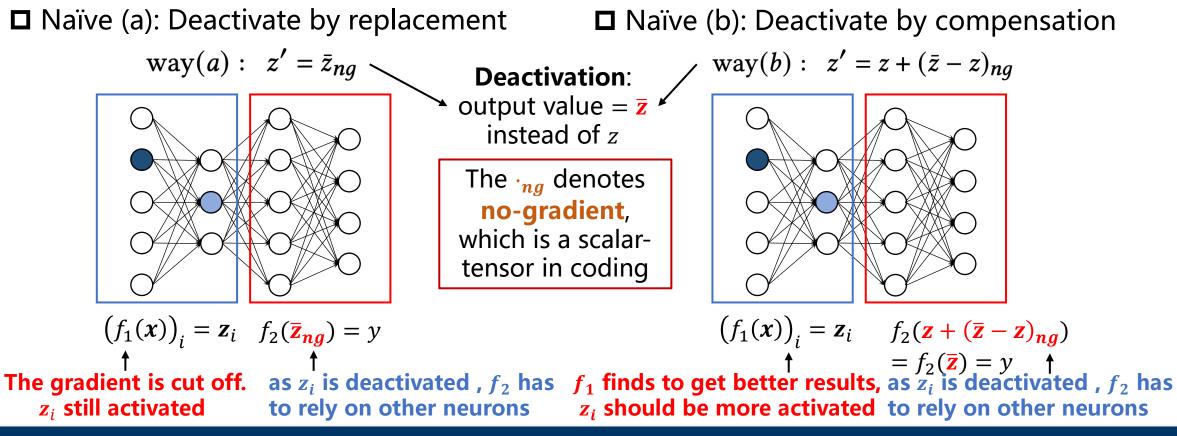
■ Reduce the dependence of output Y on z_i activation ■ Optimize $f_2(z) = y$





Monosemantic Neuron Inhibition Naïve deactivation ways





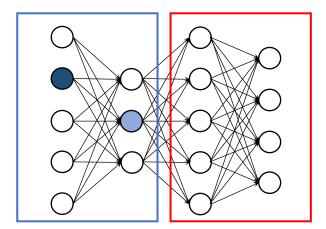


Monosemantic Neuron Inhibition



Modify the output of neurons

The proposed solution: Reversed Deactivation



 $z' = -z + (\bar{z} + z)_{ng} \longrightarrow \text{deactivation: } \bar{z}$

$$(f_1(\mathbf{x}))_i = \mathbf{z}_i$$
$$f_2(-\mathbf{z} + (\mathbf{\overline{z}} + \mathbf{z})_{ng}) =$$

(- ())

can be optimized by gradients

 $= y \int \text{will be updated to rely less on } z_i$ as it receives a value = \overline{z}

(1) model find performance drops
(2) model tries to optimize the neuron z_i to intensify its activation

(3) **negative** direction: -> deactivation

reduce the activation degree of z_i on input X \checkmark



Monosemantic Neuron Inhibition

□ The theoretical guarantee on neuron inhibition

LEMMA 3.3. Given a trained model f with 2 continuous derivatives and a Lipschitz continuous gradient, where f achieves a desired output o with minimal loss $\mathcal{L}(o)$, in which $o = f(\mathbf{x}) = f_2(f_1(\mathbf{x}), \mathbf{x}) =$ $f_2(\mathbf{z}, \mathbf{x})$ for input \mathbf{x} based on its monosemantic neuron z in layer \mathbf{z} , suppose that $\mathcal{L}(f_2(\cdot))$ monotonically increases with $|\mathbf{z}' - \mathbf{z}|$ for any other value \mathbf{z}' that replaces z. Then, with a sufficiently small learning rate l, by updating the model f with gradient descent based on the neuron processed by the RD method, the activation of z on input \mathbf{x} can be inhibited.

Please refer to our paper for details.



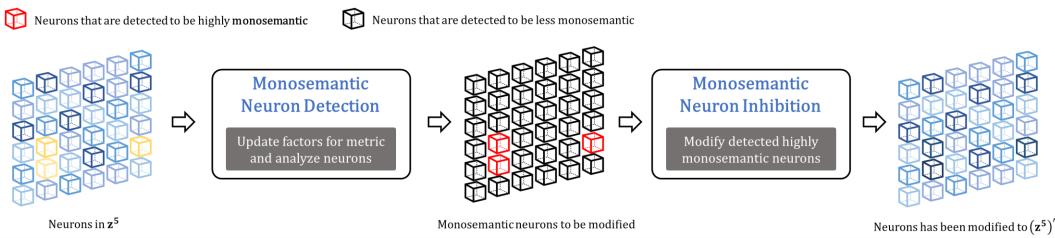
To Inhibit Monosemantic Neurons

□ First, design a **metric** to **detect** monosemantic neurons.

We propose an efficient and flexible metric Monosemantic Scale (MS).

Second, design method to inhibit monosemantic neurons.
 We point out problems of naïve methods and propose Reverse Deactivation.
 Third, a unified framework MEmeL.

Flexible and lightweight to add to any neural network.



OUTLINE

- Background
- Motivation
- Method
- Experiment



Experimental Setup

We hope our model MEmeL can be implemented on the top of classic/powerful neural networks to improve their performance by inhibiting Monosemantic neurons.

Language Task

□ Apply MEmeL to the benchmark model **BERT** on the public dataset **GLUE**

Image Task

□ Apply MEmeL to the benchmark model **Swin-Transformer** on the **ImageNet**

□ Simulation Task (rainfall)

□ Apply MEmeL to the benchmark model ConvGRU on the public dataset HKO-7



Experimental Setup

We hope our model MEmeL can be implemented on the top of classic/powerful networks to improve their performance by inhibiting monosemanticity.

Table 1: Results on GLUE Test datasets. We follow the setting of BERT to demonstrate results on 8 datasets and calculate the average score. The scores are F1 scores for QQP and MRPC, Spearman correlations for STS-B, and accuracy scores for the other tasks. All metrics are the larger the better with best results in bold font.

Model	MNLI-(M/MM)	QQP	QNLI	SST-2	CoLA	STS-B	MRPC	RTE	Average
Original	84.6/83.4	71.2	90.5	93.5	52.1	85.8	88.9	66.4	79.6
Naive (a)	84.3/83.6	71.7	90.6	93.8	52.1	85.8	88.2	66.4	79.6
Naive (b)	84.7/ 84.1	71.6	90.6	93.6	51.8	86.5	87.2	68.0	79.8
MEmeL	84.8 /83.9	71.7	90.9	93.6	54.5	86.6	87.6	68.2	80.2
MEmeL-Tune	84.8 /83.9	71.7	91.2	93.7	55.7	86.6	89.0	68.2	80.5

Our MEmeL is better than the original and naïve methods
 Beyond the basic setting (deactivating top-1 monosemantic neuron in each batch), we additionally tuning the level of inhibition to see the potential improvement can be achieved.

Table 2: Results on ImageNet-1k dataset, where 3 sizes of Swin-Transformer pretrained on ImageNet-22k are used as backbones. The metric used is top-1 accuracy, where a higher value indicates better performance. The best results are indicated in bold font.

Model Size	Swin-T 28M	Swin-S 50M	Swin-B 88M
Original	80.9	83.2	85.1
Naive (a)	81.0	83.4	84.6
Naive (b)	81.0	83.4	85.1
MEmeL MEmeL-Tune	81.1 81.1	83.4 83.5	85.1 85.2

Table 3: Results on HKO-7 dataset. We initially trained a ConvGRU model for 20k steps to create the base model. The metrics used are B-MSE and B-MAE, where a smaller value indicates better performance. The best results are in bold fonts. We repeated each experiment three times and reported the average scores.

Model	B-MAE	B-MSE
Original	1003.41	309.96
Naive (a)	1003.56	309.83
Naive (b)	1003.40	310.13
MEmeL	1003.25	309.94
MEmeL-Tune	998.81	298.16



Experimental Setup

- We hope our model MEmeL can be implemented on the top of classic/powerful neural networks to improve their performance by inhibiting monosemantic neurons.
- We hope our model MEmeL can indeed reduce the monosemantic scale of neural networks.

Table 3: Validation experiments conducted on the Swin-B model. We record the Decrease Ratios and Update Scales of 10k neurons. The model that utilizes our Reverse Deactivation method is compared with those using two Naive methods and the original Swin-B.

Methods	Original	Naive (a)	Naive (b)	Reverse Deactivation
Average Decrease Ratio	0.003%	-0.017%	-0.044%	0.013%
Average Total Update Ratio	0.052%	0.118%	0.161%	0.189%

Compared with two naive methods, our reverse deactivation suppresses monosematic neurons.



□ Need to verify the effectiveness of our metric.

□ Need to verify the proposition on **large language models**.

□ Need to verify the effectiveness of our method on large language models.



Need to verify the effectiveness of our metric.

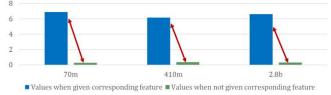


Fig. 1. Metric MS outputs values significantly different when input contains (blue) and not contains (green) the monosemantic features. Results are based on the most monosemantic 10 neurons across scales (70m to 2.8b) of pythia model, detected by sparse probing.

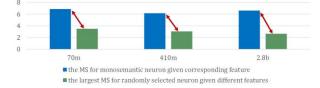


Fig. 2. Metric MS outputs much larger values for monosemantic neurons (blue) compared with randomly selected neurons (green). The settings are the same with Figure 1. For each randomly selected neuron, we records its output values given different features, and display the largest one as its relatively most sensitive feature.

Larger-scale Full validation New module

Following work is coming!

Need to verify the proposition on large language models.

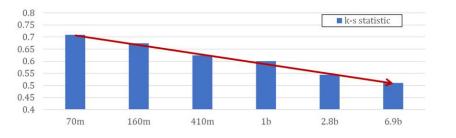


Fig. 3. Statistics of monosemanticity across scales. Randomly select 1000 neurons each scale and conduct Kolmogorov–Smirnov test for the scores of most monosemantic feature and the global scores. A lower k-s statistic refers less outstanding of the scores of most monosemantic feature, indicating a lower monosemanticity. One can observe the statistic results are negatively related with increasing scale.

MS of the most activated feature across scales and layer depths 5.5 Larger model, 5 4.5 **lower** monosemanticity! 4 3.5 3 2.5 2 0% 10% 20% 30% 40% 50% 60% 70% 80% 90% 100% **—**70m **—**410m **——**160m 🗕 6.9b

Need to verify the effectiveness of our method on large language models. Calling for cooperation: full pretraining LLM with MEmeL.

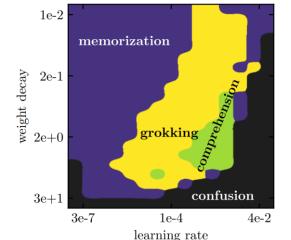


Possible directions

□ Memorization plays a different role in different tasks

 \rightarrow Inhibit or promote monosemanticity should be task oriented

Complex tasks require more polysemanticity

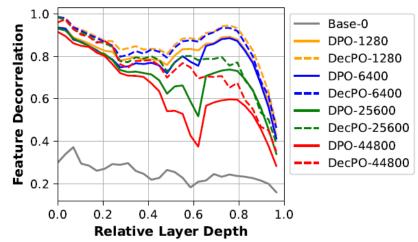


4.4 Potential and Limitation of MEmeL According to our hypothesis, MEmeL induces the model to accumulate general and abstract functionality instead of monosemanticity for a specific task, which is consistent with the goal of per-taining. Although MEmeL achieves good results during fine-tuning (demonstrated at Main Experiments in subsection 4.2), the improvement is expected to be even greater when it is applied to the pre-training phase.

Our new work also finds MEmeL is especially

effective for harder tasks.

Preferences alignment require more monosemanticity



During direct preference optimization: monosemanticity is enhanced

Modular Addition: expects grokking instead of memorization

Towards Understanding Grokking: An Effective Theory of Representation Learning. NeurIPS (2022) Encourage or Inhibit Monosemanticity? Revisit Monosemanticity from a Feature Decorrelation Perspective. CoRR abs/2406.17969 (2024)



Summary

We propose to **learn from emergence** to present a study on proactively **inhibiting the monosemantic** neurons of artificial neural networks.

□ The Evaluation Metric for Detecting Monosemantic Neurons

Data-specific evaluation \rightarrow A **quantitative** metric **does not** rely on datasets.

Large computational overhead \rightarrow **Online** computation guarantee.

□ The Proactive Deactivation Method to Reduce Monosemantic Neurons

 \square Hard to deactivate \rightarrow A theoretically supported method to suppress monosemantic neurons



Github



Technical Report

